Table 2.	Comparison of the results of equation (5)	with							
those of Sayre's equation									

h	$\begin{array}{lll} \text{At } \sin(\theta) / \lambda = 0.72 \text{ Å}^{-1} \\ h & \text{terminated right-hand} \end{array}$						
(reciprocal		side of equation:				(direct	
lattice)	F(h)	(1)	(5,I)	(5,II)	(5,III)	lattice)	
(001)	54	98	50	55	55	[001]	
			67		63	[100]	
(110)	-29	-43	- 26	-31	-30	[110]	
			-24		- 26	[001]	
(011)	4	7	1	9	7	[011]	
			2		1	[100]	
(200)	3	40	20	15	17	[100]	
			4		5	[001]	
(202)	68	73	80	70	75	[101]	
			75		70	010	
(132)	41	55	43	42	43	[010]	
. ,			53	48	49	ľ110	
(330)	61	61	71	64	63	110	
. ,			65		66	[001]	

No solution exists for case II if h is orthogonal to v because tanh is antisymmetric and therefore $F[h, \Gamma_2(\varrho)]$ is zero and no function A(h, m) can be derived.

The examples show that for practical purposes appropriate functions G(m) and hence generating mappings Γ can be found which keep the errors in applying equation (5) sufficiently low.

The errors are caused by termination of the series and by using functions G(m) which do not exactly fulfil the suppositions, *e.g.* $G_{21}(m)$, of cases II and III.

In practice, these two sources of error cannot be clearly separated because many functions can be fitted very well by allowed functions G(m) in the range of reciprocal space which can be reached by measurement (Rothbauer, 1975, p. 133).

The problem of finding functions G(m) which are adapted to the scatterers of a structure and to the termination of the series in order to minimize the errors must be the content of further investigations.

From the example given above we may conclude that equation (5) contains important constraints for the determination of the phases.

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Internal strain of GaAs. I. Longitudinal case: erratum. By C. N. KOUMELIS and E. K. ROZIS, Department of Physics, University of Athens, Athens 144, Greece

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The results for ζ and α/β of Koumelis & Rozis [Acta Cryst. (1975). A31, 84–88] should read: $\zeta = 0.77 \pm 0.04$, $\alpha/\beta = 1.20 \pm 0.04$.

In the paper by Koumelis & Rozis (1975), the value $s_{44} = 18.6 \ 10^{-12} \text{ cm}^2/\text{dyne}$ of GaAs given by Huntington (1958) is incorrect by an order of magnitude. With $s_{44} = 1.692 \times 10^{-12} \text{ cm}^2/\text{dyne}$ (Cottam & Saunder, 1973), the values of ζ and α/β are: $\zeta = 0.77 \pm 0.04$, $\alpha/\beta = 1.20 \pm 0.04$. Hence, in GaAs there exists strong internal strain.

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Analysis of orientationally disordered structures. II. Examples: erratum. By WERNER PRESS, Institut für Festkörperforschung der Kernforschungsanlage Jülich, 517 Jülich, Germany (BRD)

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Corrections are given to Press [Acta Cryst. (1973). A 29, 257–263]. Two misprints in Table 2 should be corrected to $c_{61}^T = \sqrt{26} \cdot \frac{4}{9}$ and $c_{71}^T = -\sqrt{455}/9$. In the 3rd line of equation (2.1) $j_5(Q\varrho)$ should be changed to $j_6(Q\varrho)$.

All information is given in the abstract.